

The African Black Rhino

- A subspecies of Rhino Native to Eastern
- A subspecies of Rhino Native to Eastern Africa, having a specifically dense population in Kenya and Tanzania
 Current population stands at 6 421(STR organization)
 One of two Rhino species found in Africa, making its conservation incredibly significant

 Both Rhino species have seen an
 - increase in population sizes thanks to successful conservation efforts(WWF)



o extanct fler the beginning of their protection, the Rhimos have been eadily increasing in population size - as of late, there are 6 421 ack Rhinos throughout the park

Year	1	PR
1995	0	2354
1999	4	2700
2001	6	3100 3726 4227
2005	10	
2007	12	
2009 2010 2012 2013 2015 2017	14	4879
	15	4880
	17	4845 5250 5214
	18	
	20	
	22	5496
2021	26	6195
2022	27	6195
2023	28	6487

The General Equation

 $P(t) = \frac{L}{1+ae^{-t}}$

L, a, k are constants to be solved

Further solving and mathematical theory behind this can be found in supplementary material

Solving for constants a and L

Maximum growth capacity, L, or carrying capacity is the maximum population which a habitat can sustain, and is a naturally occurring phenomena. For the sake of the investigation, it is assumed that the maximum growth capacity of the Black Rhino is 37 800. This is a fair of the Black Rhino is 37800. This is a fair assumption Secuse that was their maximum recorded population before they faced natural threats and became subject to the vory trade and poaching. However, it must be noted that 37800 is only an assumption and the true maximum carrying capacity may vary far from this saturantion.

L=37800

In case is find an assessment value for proved command b, we want with a point from one date, and play it can be more which is case or it find an assessment which We can not by Beiling the value of 1, to 70% or women date gain find. This is possible because \$100 dates not offer any garden measures an argument of promitine 1 of all finds the signature to 8.

a is a constant specific to the formulae, and therefore can be found simply by plotting two de points from the observed data. To find a, I plotte the first given data plot, the year 1995 at which:

t = 0

P(t) = 2354

 $\frac{37800}{2354} - 1 = a$

a = 15.057774

Assuming the given data is accurate. Belinos we ide amade, and completely accurate population estimates can be difficult to sees. This project assums that the given data is correct for the carrying control of Black Rhimos is 3.7800. The carrying control of the carrying captainty is a sale important on ones that changing also suming there are no effectual barriers to Rhimo populations: This is a key limitation for the mathematical model the unpredictability of
populations. Poaching and the ivory trade is just one factor effecting the population size of Rhinos, and today the threat of habitiat damage due to globe population size of Rhinos, and today the threat of habitiat damage due to globe population size and a variety of unpredictable
variables may three in population sizes. This mathematical model assumes that these variables are fallgible, which does not reflect the reality of population fluctuations

Solving for *k*

SOIVING TOT K

The constant, k in the general equation represents the growth constant of population growth. Similarly to finding the constant as the worked through backwards-working the general equation. As a result of the external factors effecting Rhino population growth, the k-value varies slightly each year as seen through the k - value row or the diagram to the left. To ensure maximum accourse, I took the mean of each eaclusted k-value, to find the most general value. Although the difference between k-valuers is relatively small to the find values of the equation, it is crucial to be as accurate as possible. The full working for k can be found within the proje. The man of the found k-valuer is found to be.

Therefore,

Further working can be found in the essay and

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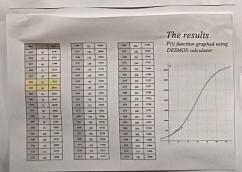
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and province, (1) for the case of the consequence, lead the largering from the case of the parameters for final billions (100), as in it is to your left, coming that it is part left and consequence, and if the parameters of the 1, therefore the function are
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P(t) vs Raw Data

 $MAE = \frac{1}{n} \sum_{i=1}^{n} \left| P_{Ri} - P(t) \right|$

iper .		"	P(f) [7] Rounded to be a whole number	F _g - P(t)	= 19+128+16+65+244+547+364+59+142+106+50
1995		2054	מע	-19	= 369.2857143 ≈ 369.3
1999	4	2700	3128	-128	
3001		3100	3084	16	
2001	10	3726	3661	65	
2007	12	an	3963	244	
2009	14	4879	4032	547	1-
2010	13	4880	4516	364	1
2013	17	4445	4904	-59	
2013	18	5250	Sica	142	
2015	20	5214	5308	104	
2017	23	3496	5998	-512	
2021	26	6195	7010	415	
2022	27	6195	72.82	-1087	
2023	28	6487	7563	-1076	
-		Figure.	3.1: Accuracy of the Function		-

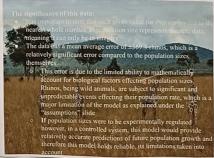
k = 0.04705758644

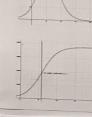


Inserting the found constants gives us:

$$P(t) = \frac{L}{1 + ae^{-kt}}$$

$$P(t) = \frac{37800}{1 + 14,93033135e^{-0.04705758644t}}$$





Graphical Analysis of the Data: the rate of change

- Graphing the curves derivative, P(t)* shows us how the rate of population growth changes over time.

 This is a major benefit of choosing the population growth model to map growth as opposed to an exponential model which doe not take into account the changing populative growth over time.

 As seen from the data, there occurs a point of inflection at t = 57, signifying that there is a maximum change in the population growth, and from this point onwards, t > 57, population rates begin decreasing as populations are hit with limitations from the carputations are active that the country of t





